

# Basic Elec. Engr. Lab

ECS 204/210

**Dr. Prapun Sukksompong**

[prapun@siit.tu.ac.th](mailto:prapun@siit.tu.ac.th)

**Office Hours:**

**BKD 3601-7**

**Tuesday 9:30-10:30**

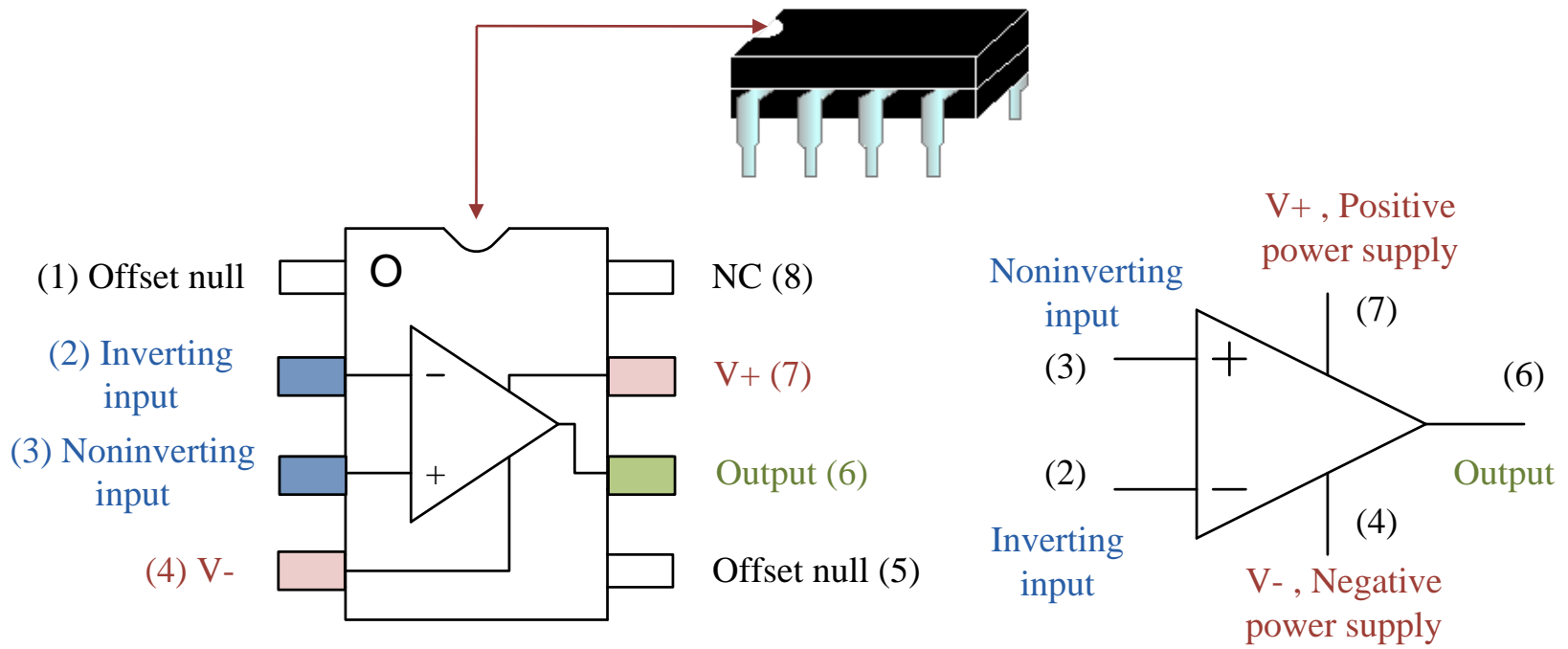
**Friday 14:00-16:00**

# Lab 7

- Operational amplifier
- Inverting amplifier
- Inverting Integrator

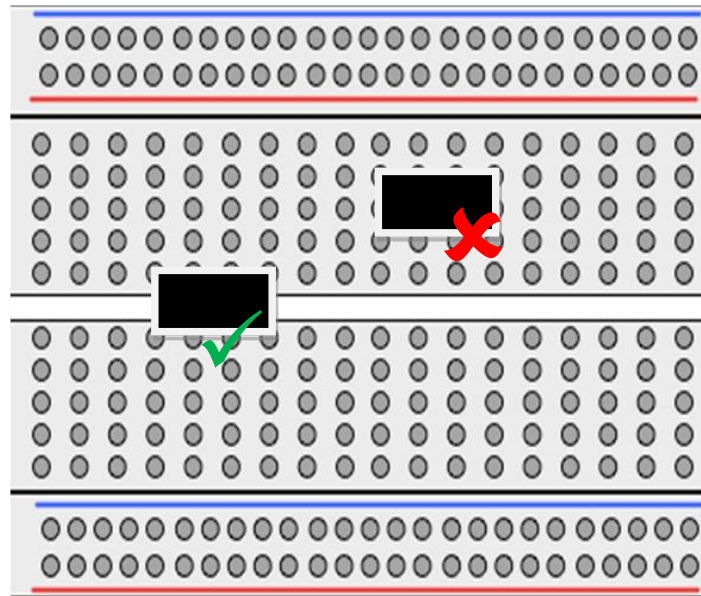
# Op-Amp 741

- **OP**erational **AMPL**ifier



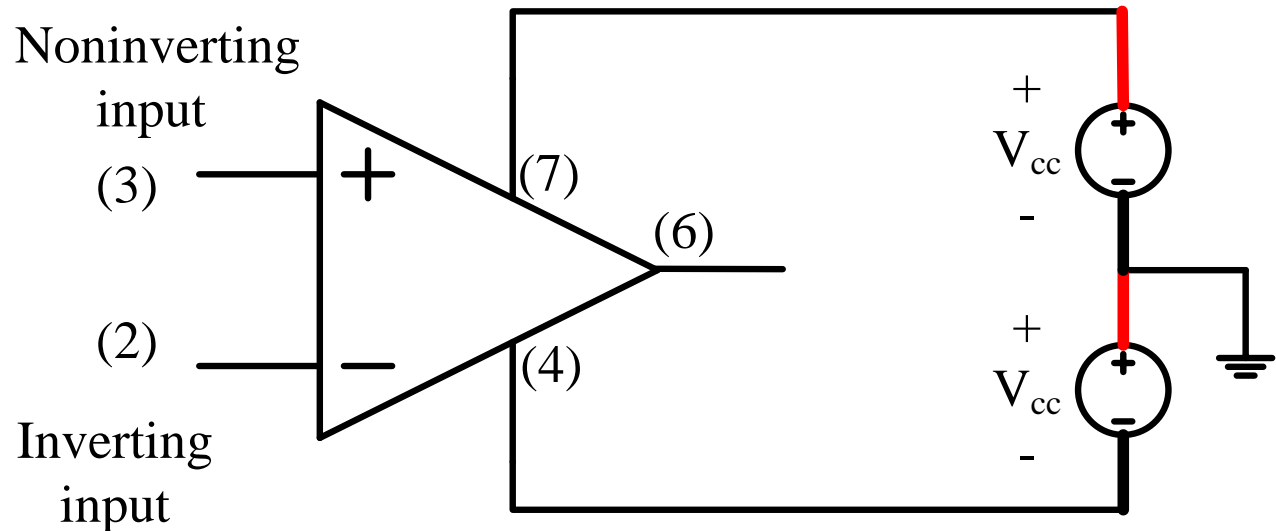
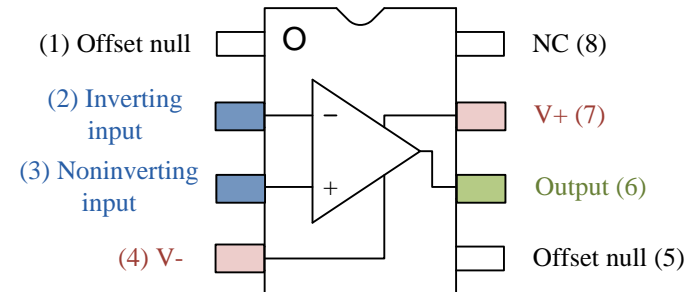
# Placing op amps on the proto-board

- Plug in op amp chips so that they straddle the troughs on the proto board.
- In this way, each pin is connected to a different hole set.

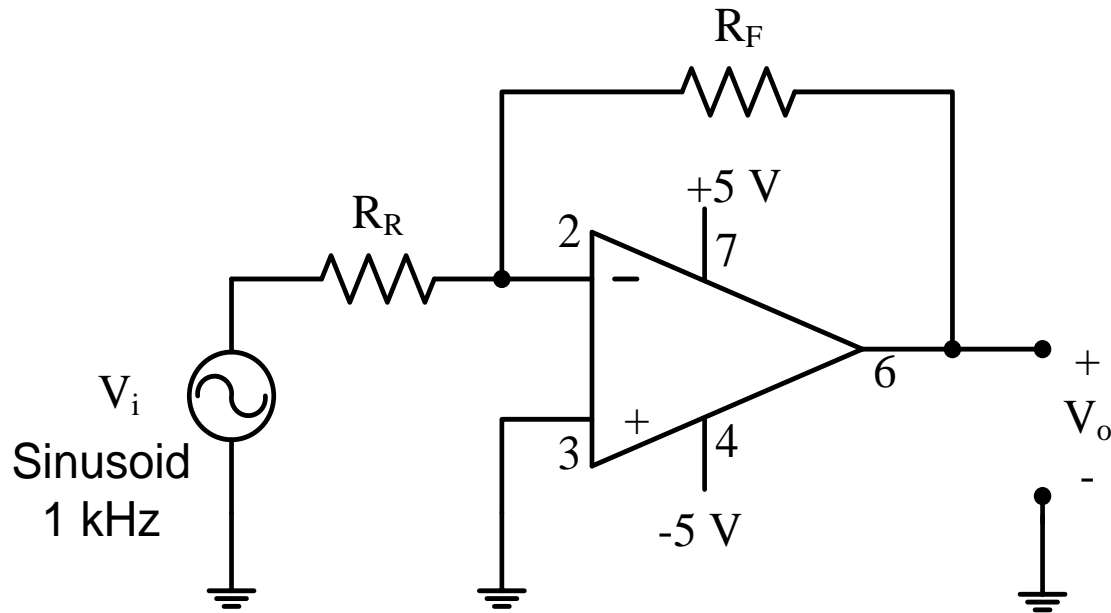


# Powering the op amp

- The op amp must be powered by voltage supplies.
- These supplies are often ignored in op amp circuit diagrams for the sake of simplicity.

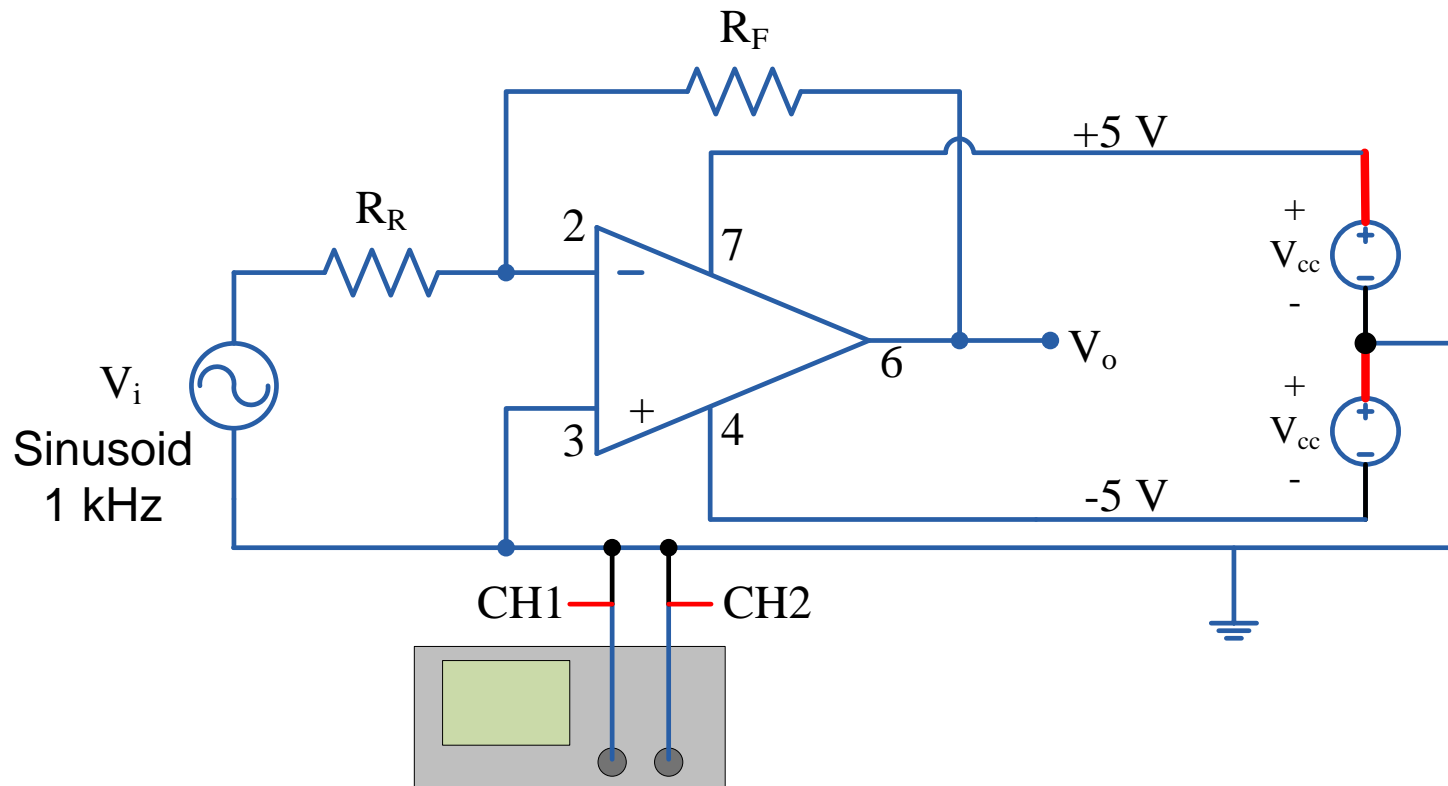


# Part A: Inverting Amplifier

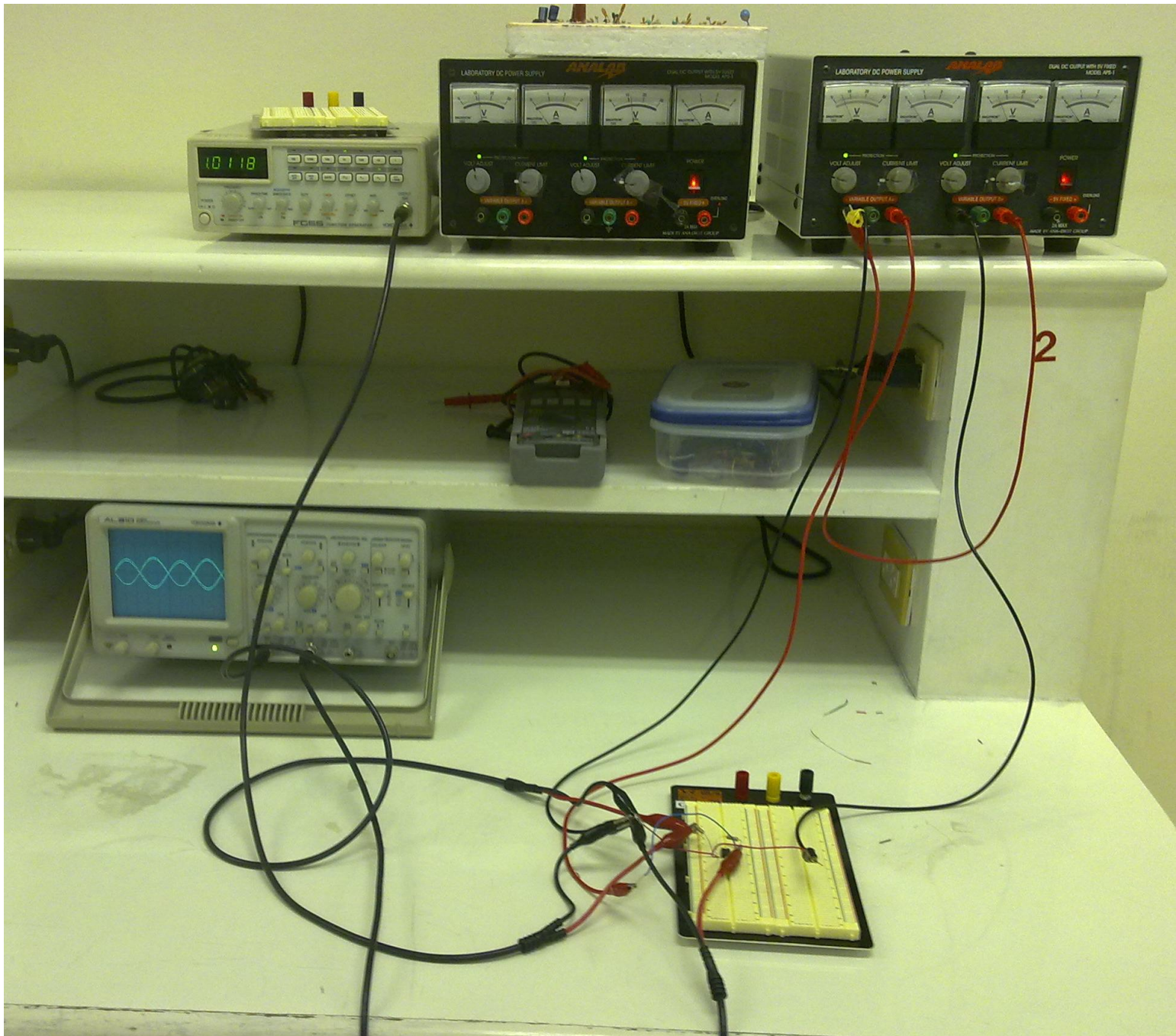


$$V_o = -\frac{R_F}{R_R} V_i$$

# Part A: Inverting Amplifier

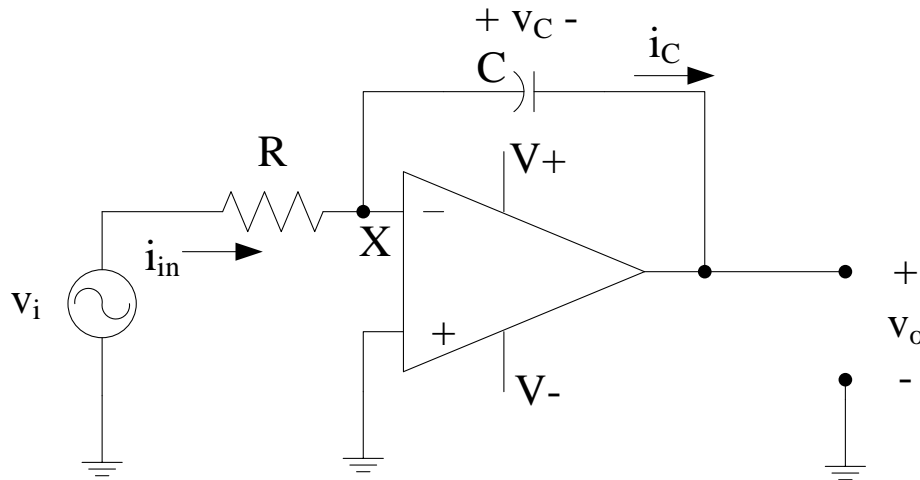


$$V_o = -\frac{R_F}{R_R} V_i.$$





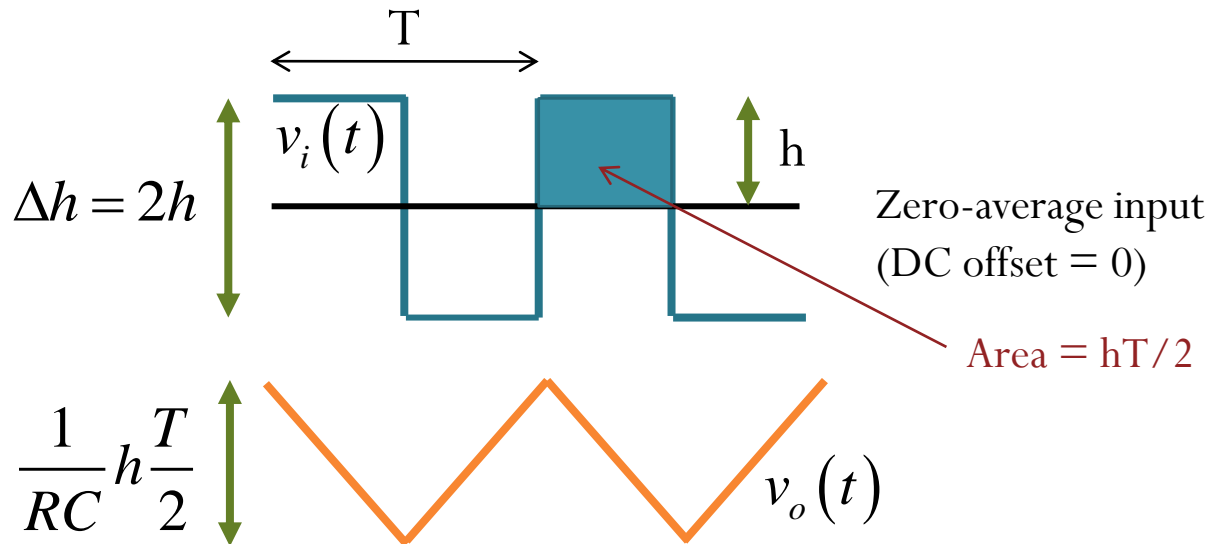
# Part B: Inverting Integrator



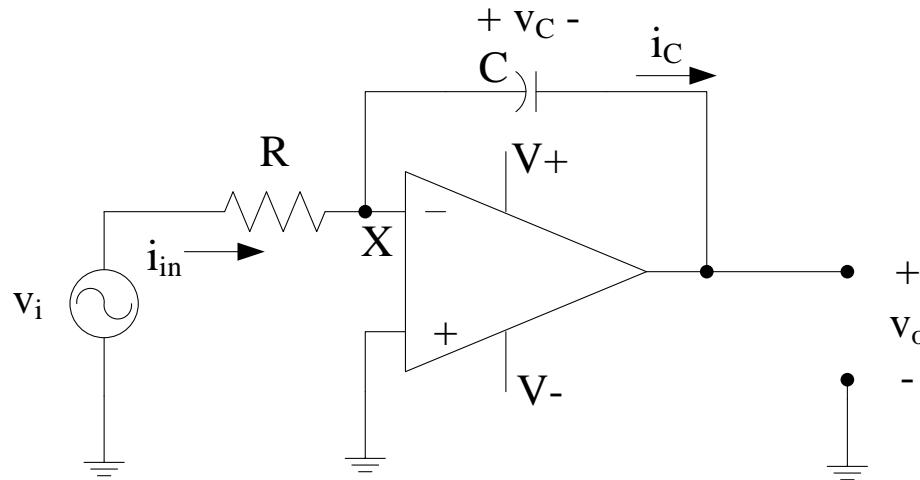
$$i_i(t) = i_C(t)$$

$$\frac{v_i(t)}{R} = -C \frac{d}{dt} v_o(t)$$

$$v_o(t) = v_o(0) - \frac{1}{RC} \int_0^t v_i(t) dt$$



# Inverting Integrator (2)

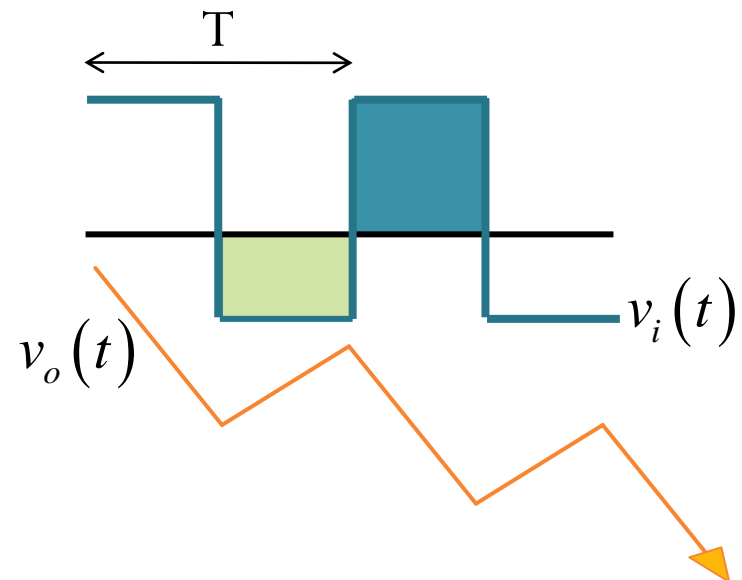


$$i_i(t) = i_C(t)$$

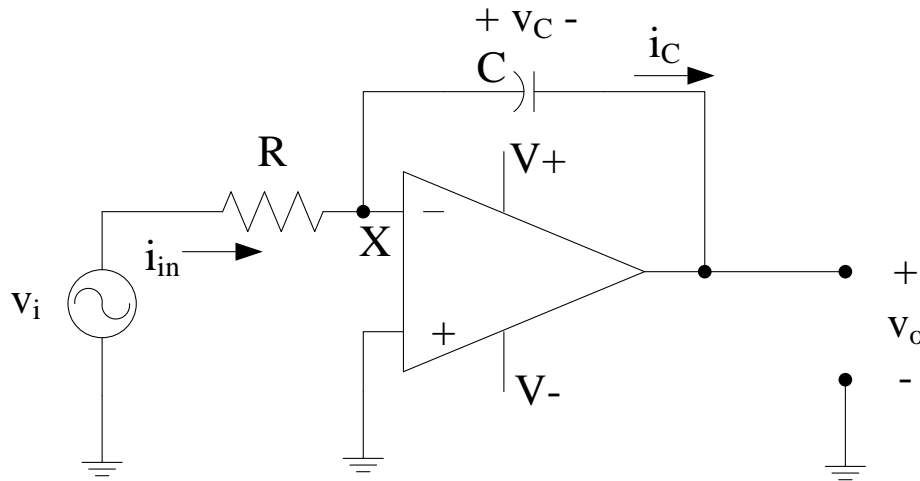
$$\frac{v_i(t)}{R} = -C \frac{d}{dt} v_o(t)$$

$$v_o(t) = v_o(0) - \frac{1}{RC} \int_0^t v_i(t) dt$$

- An input with nonzero mean (DC offset) can saturate the op amp.



# Inverting Integrator: AC SS Analysis

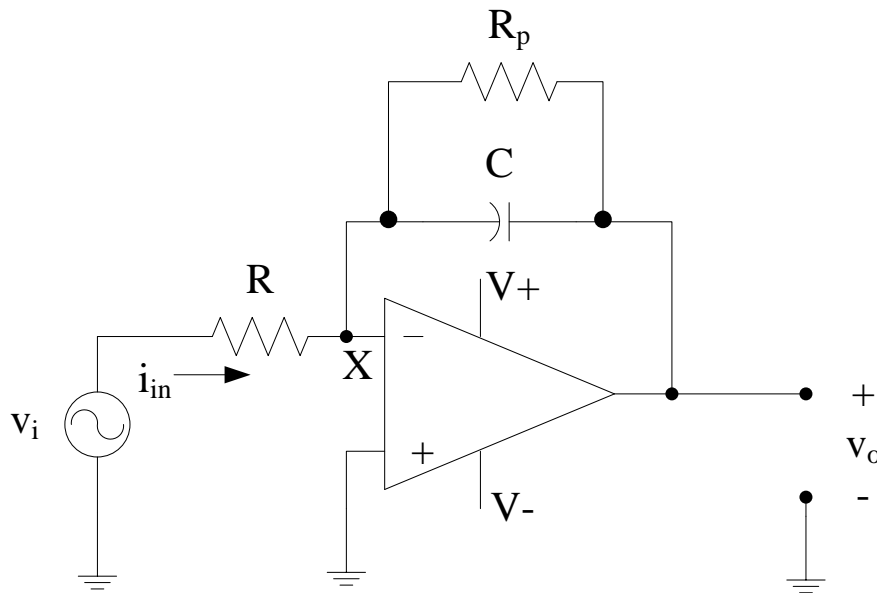


$$\begin{aligned} V_o &= -\left(\frac{Z_C}{R}\right)V_i \\ &= -\left(\frac{V_i}{R}\right) \times \frac{1}{j\omega C} \end{aligned}$$

- The gain at  $f = 0$  is unbounded.

# Inverting Integrator w/ Shunt Resistor

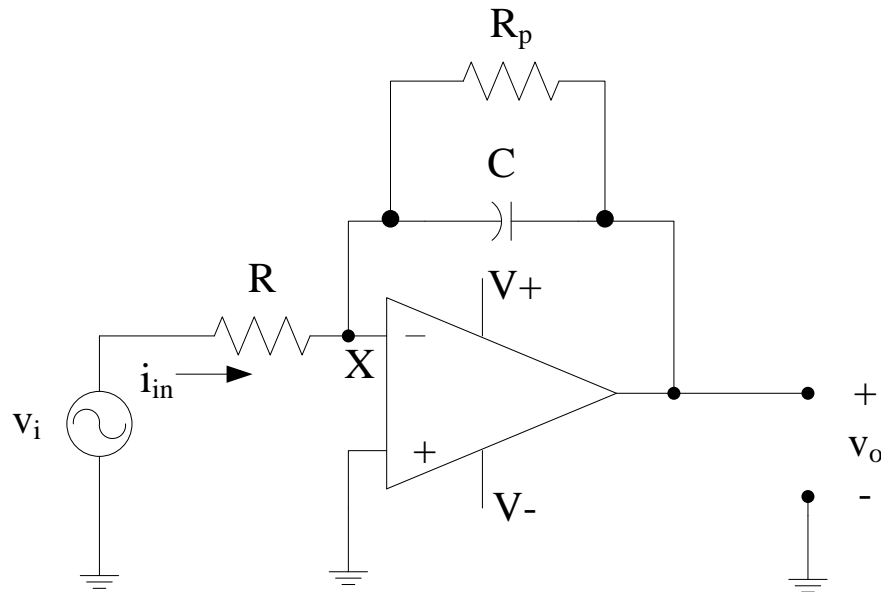
- In practical circuit, a large resistor  $R_p$  is usually shunted across the capacitor



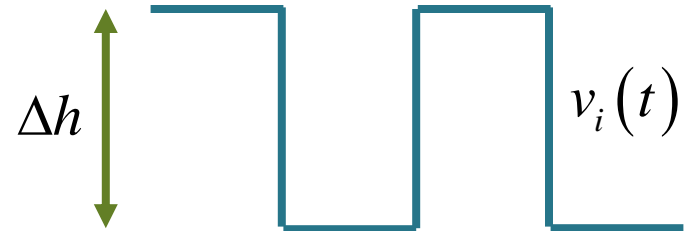
$$V_o = -\left(\frac{Z_C // R_p}{R}\right)V_i$$
$$= -\left(\frac{V_i}{R}\right) \times \frac{R_p}{j\omega R_p C + 1}$$

- Observe that at  $f = 0$ , the gain is finite.

# Inverting Integrator w/ Shunt Resistor



- The output will not be triangular anymore.
- “Virtually triangular” if  $R_p C \gg T/2$ .



$$r = \exp\left(-\frac{1}{2fR_p C}\right)$$